

St. Philomena's College (Autonomous), Mysore

Question Bank

Programme: M. Sc. Physics

III Semester

Course Title: Advanced Quantum Physics

Course Type: Hard Core

Q.P Code : 88321

Sl. No.	Module	Question	Marks
1.	2	Using Born's approximation Discuss low energy soft sphere scattering.	4
2.	2	Discuss the Rutherford scattering using Born's approximation.	4
3.	2	For the case of hard sphere scattering, obtain the expression for scattering angle as a function of impact parameter.	4
4.	2	For the case of hard sphere scattering, show that differential cross-section is independent of scattering angle.Using Born's approximation: Discuss low energy soft sphere scattering.	4
5.	2	Using Born's approximation: Rutherford scattering.	4
6.	2	For the case of hard sphere scattering, obtain the expression for scattering angle as a function of impact parameter.	4
7.	2	For the case of hard sphere scattering, show that differential cross-section is independent of scattering angle.	4
8.	2	In Rutherford scattering an incident particle of charge q_1 and kinetic energy E scatters off a heavy stationary particle of charge q_2 : Determine the differential scattering cross section	4
9.	2	In Rutherford scattering an incident particle of charge q_1 and kinetic energy E scatters off a heavy stationary particle of charge q_2 : Show that total cross-section for Rutherford scattering is infinite.	4

10.	1	Describe the underlying principle of Born-Oppenheimer approximation method.	6
11.	1	State Adiabatic theorem. Explain Adiabatic variation with examples.	6
12.	1	Write a note on non-holonomic processes.	6
13.	2	Describe quantum scattering theory and show that differential cross-section is equal to square of the scattering amplitude.	6
14.	2	Discuss the first Born's approximation and obtain the expression for scattering amplitude at low energy.	6
15.	3	Discuss the reasons for which Schrodinger equation and Klein Gordon equation of a particle fell into disgrace with the special theory of relativity.	6
16.	3	Obtain the covariant form of Dirac's equation in terms of γ matrices.	6
17.	3	Evaluate $(\boldsymbol{\sigma} \cdot A)(\boldsymbol{\sigma} \cdot B)$.	6
18.	3	Normalize the plane wave solutions of the Dirac equation.	6
19.	3	"Klein gordon equation represents a system of bosons whereas Dirac equation represents a system of fermions". Justify this statement giving theoretical reasons.	6
20.	1	Discuss the time dependent perturbation theory and hence deduce Fermi's Golden rule.	8
21.	1	Discuss the emission and absorption of radiation in the dipole approximation.	8
22.	2	In Rutherford scattering an incident particle of charge q_1 and kinetic energy E scatters off a heavy stationary particle of charge q_2 : Derive the formula relating impact parameter to the scattering angle.	8
23.	2	Using the strategy of partial analysis: In the case of low energy scattering from a spherical delta function shell $V(r) = \alpha \delta(r - a)$, where α and a are constants, calculate the scattering amplitude f	8

		(θ).	
24.	3	Discuss the non relativistic limit of the Klein Gordon Equation.	8
25.	3	Give the significance of negative energy states and hence explain the concept of antiparticles.	8
26.	3	Discuss the Hydrogen energy spectra according to Dirac's theory.	8
27.	1	Discuss time dependent perturbation theory for two level systems and obtain an expression for probability amplitudes at first and second order.	9
28.	1	Obtain an expression for the probability of transition of a particle from state a to state b when the perturbation is sinusoidal in nature.	9
29.	1	Develop time-dependent perturbation theory for a two-level system.	9
30.	1	Determine the zeroth, first and second order corrections for time dependent perturbation theory.	9
31.	1	Derive Einstein's co-efficients for spontaneous and stimulated emissions.	9
32.	1	Discuss selection rules for transitions from an excited state.	9
33.	1	State and prove Adiabatic theorem.	9
34.	1	For a non-holonomic system, show that net geometric phase change is a line integral around a closed loop in parameter space.	9
35.	2	Write short notes on classical and relativistic collisions.	9
36.	2	Calculate the threshold energy for the reaction $p + p^- \rightarrow p + p + p + p + p^-$ where a high energy proton strikes a proton at rest, creating a proton-antiproton pair.	9
37.	1	Show that the transition rate for stimulated emission from state b to state a for a two level system which is under the influence of incoherent, unpolarized light incident from all direction is $R_{a \rightarrow b} = \frac{\pi}{2 \epsilon_0 \hbar} \mathbf{p} ^2 \rho_0 \cdot$	10

38.	1	Deduce an expression for the life time of an excited state and hence discuss selection rules for transitions from an excited state.	10
39.	2	Describe classical scattering theory and obtain the expression for differential cross-section.	10
40.	2	Using the strategy of partial analysis: Discuss the case of hard sphere scattering and show that scattering cross-section is four times the geometrical cross-section, in the low energy approximation.	10
41.	3	Write down the Dirac's equation in an external electromagnetic field and deduce an expression for the magnetic moment of electron.	10
42.	3	Obtain the plane wave solutions to the Klein -Gordon equation.	10
43.	3	Discuss the scattering of a particle by Yukawa potential.	10
44.	3	Derive the plane wave solutions to Dirac equation for a free particle	10
45.	2	Discuss the formalism of partial wave analysis and obtain the expression for total cross-section.	12
46.	2	Obtain the integral form of Schrodinger equation.	12
47.	3	Set up the Klein -Gordon equation for a free particle. Obtain the equation of continuity and hence define the probability and current densities.	12
48.	3	Derive the Dirac equation for a free particle and show that it decomposes into a set of four differential equations and that spin is a natural consequence in the wave equation.	12
49.	3	Solve the Dirac equation for a particle in a central field force and calculate the spin orbit coupling energy.	12
50.	3	Show that the orbital angular momentum operator \mathbf{L} of a free Dirac particle is not a constant of motion. Describe how the addition of an appropriate spin operator \mathbf{S} to \mathbf{L} makes the sum a constant of motion.	12

For 3 and 4 credit Courses

St. Philomena's College(Autonomous), Mysuru			
I/II/III/IV Semester M.Sc. Examination Month – Year			
Subject:			
Title:			
Time: 3 hours		Max. Marks:70	
<i>Instruction: Answer any one full question from Section – A, Section-B and Section-C and any four questions from Section – D.</i>			
Section - A			
1.	a.	Question to be asked from unit I	18
	b.	Question to be asked from unit I	
OR			
2.	a.	Question to be asked from unit I	18
	b.	Question to be asked from unit I	
Section - B			
3.	a.	Question to be asked from unit II	18
	b.	Question to be asked from unit II	
OR			
4.	a.	Question to be asked from unit II	18
	b.	Question to be asked from unit II	
Section - C			
5.	a.	Question to be asked from unit III	18
	b.	Question to be asked from unit III	
OR			
6.	a.	Question to be asked from unit III	18
	b.	Question to be asked from unit III	
Section - D			
7.		Question to be asked from unit I	04
8.		Question to be asked from unit I	04
9.		Question to be asked from unit II	04
10.		Question to be asked from unit II	04
11.		Question to be asked from unit III	04
12.		Question to be asked from unit III	04

Note : Marks of Section A, B and C can be any combinations of 18. For example (12+6), (10+8),(9+9),(10+4+4),(8+6+4) etc.,.